

Expressing and Exploiting the Common Subgoal Structure of Classical Planning Domains Using Sketches



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- **Classical planning** (deterministic + fully observable)
- We consider tractable domains with **domain general strategy**
- How vs what to achieve? (Policy vs Subgoal)
- **Our contribution:**
 - Encode **subgoal structure** using language of **policy sketches** [Bonet and Geffner, 2021]
 - Domains provably solvable in **low poly time**
- Search methods: iterated width, serialization [Lipovetzky and Geffner, 2012]

Width & Iterated Width (IW) [Lipovetzky and Geffner, 2012]

- **Width** $w(P)$ measures difficulty to solve a planning problem P
- Width **depends on goal** that we want to achieve
- **Theorem:** if $w(P) \leq k$ then $IW(k)$ **solves** P optimally in $\exp(k)$ time
- $IW(k)$ is breadth-first search where state s is pruned if $novelty(s) > k$

The Problem of Unbounded Width

- **Single goal atom** \Rightarrow often small width
- **Conjunctive goals** \Rightarrow often unbounded width
 - **Serialized Iterated Width (SIW)**
 - SIW(k) runs sequence of IW(k) searches
 - Each IW(k) search **decreases goal count heuristic** $\#g$
 - Subproblems: achieve single goal atom
- SIW still fails if ...
 - it traps into an unsolvable state
 - it generates a subproblem of greater width
 - the subproblem has too large width
- **Policy sketches** is a language for defining richer problem decompositions

Example Domain: Floortile Dynamics

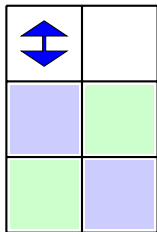


Figure: Plan execution

Example Domain: Floortile Dynamics

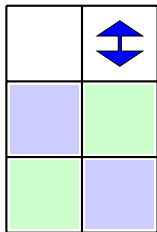


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Example Domain: Floortile Dynamics

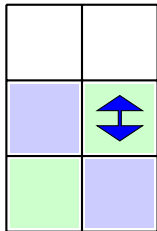


Figure: Plan execution

Example Domain: Floortile Dynamics

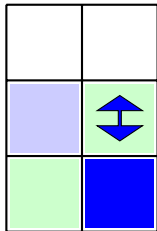


Figure: Plan execution

Example Domain: Floortile Dynamics

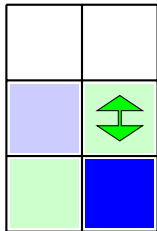


Figure: Plan execution

Example Domain: Floortile Dynamics

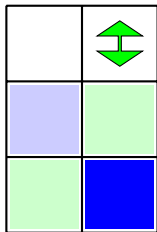


Figure: Plan execution

Example Domain: Floortile Dynamics

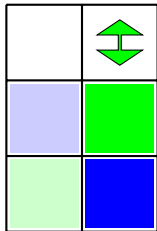


Figure: Plan execution

Example Domain: Floortile Dynamics

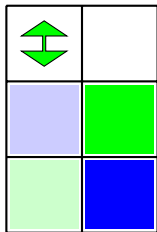


Figure: Plan execution

Example Domain: Floortile Dynamics

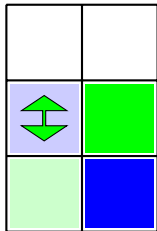


Figure: Plan execution

Example Domain: Floortile Dynamics

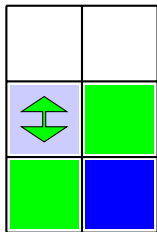


Figure: Plan execution

Example Domain: Floortile Dynamics

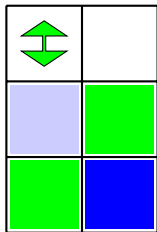


Figure: Plan execution

Example Domain: Floortile Dynamics

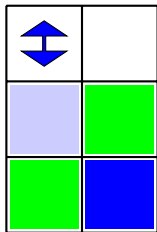


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Example Domain: Floortile Dynamics

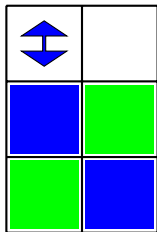
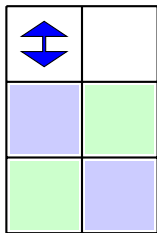


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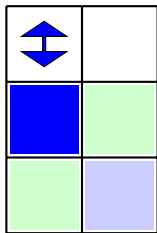
Example Domain: Floortile SIW Failure



(a) Initial state s_0 : $\#g = 4$

- **Features** $\Phi = \{\#g\}$
- **Sketch** $R_\Phi = \{r\}$ with $r = \{\#g > 0\} \mapsto \{\#g\downarrow\}$
- Serialization according to R_Φ : $SIW_{R_\Phi} = SIW$
- SIW traps into unsolvable state

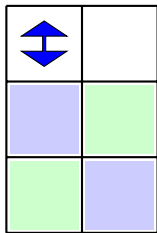
Example Domain: Floortile SIW Failure



(a) Unsolvability state s_1 : $\#g = 3$

- **Features** $\Phi = \{\#g\}$
- **Sketch** $R_\Phi = \{r\}$ with $r = \{\#g > 0\} \mapsto \{\#g \downarrow\}$
- Serialization according to R_Φ : $SIW_{R_\Phi} = SIW$
- SIW traps into unsolvable state

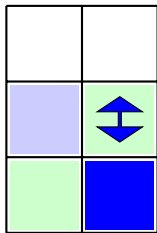
Example Domain: Floortile Sketch



(a) Initial state s_0 : $\#g = 4$, $Solvable = \top$

- **Features** $\Phi = \{\#g, Solvable\}$
- **Sketch** $R_\Phi = \{r\}$ with $r = \{\#g > 0, Solvable\} \mapsto \{\#g\downarrow\}$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

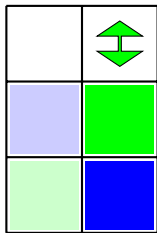
Example Domain: Floortile Sketch



(a) Rule r leads to s_3 : $\#g = 3$, $Solvable = \top$

- **Features** $\Phi = \{\#g, Solvable\}$
- **Sketch** $R_\Phi = \{r\}$ with $r = \{\#g > 0, Solvable\} \mapsto \{\#g \downarrow\}$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

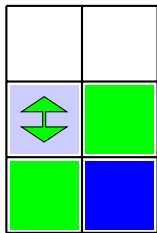
Example Domain: Floortile Sketch



(a) Rule r leads to s_6 : $\#g = 2$, $Solvable = \top$

- **Features** $\Phi = \{\#g, Solvable\}$
- **Sketch** $R_\Phi = \{r\}$ with $r = \{\#g > 0, Solvable\} \mapsto \{\#g\downarrow\}$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

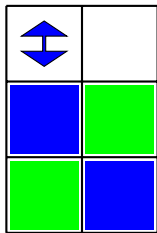
Example Domain: Floortile Sketch



(a) Rule r leads to s_g : $\#g = 1$, $Solvable = \top$

- **Features** $\Phi = \{\#g, Solvable\}$
- **Sketch** $R_\Phi = \{r\}$ with $r = \{\#g > 0, Solvable\} \mapsto \{\#g \downarrow\}$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

Example Domain: Floortile Sketch



(a) Rule r leads to goal s_{12} : $\#g = 0$, $Solvable = \top$

- **Features** $\Phi = \{\#g, Solvable\}$
- **Sketch** $R_\Phi = \{r\}$ with $r = \{\#g > 0, Solvable\} \mapsto \{\#g \downarrow\}$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

Example Domain: Barman Dynamics

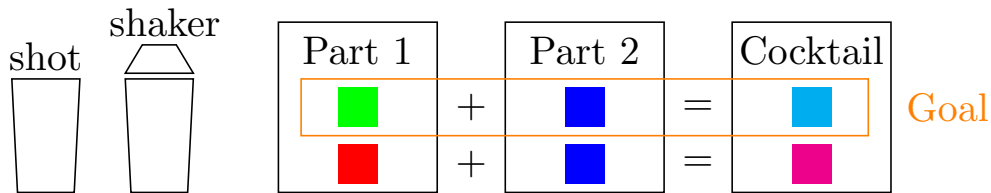


Figure: Plan execution

Example Domain: Barman Dynamics

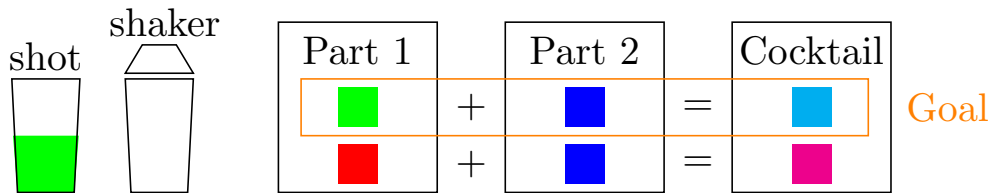


Figure: Plan execution

Example Domain: Barman Dynamics

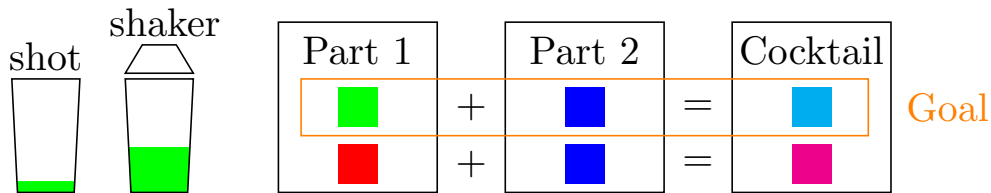


Figure: Plan execution

Example Domain: Barman Dynamics

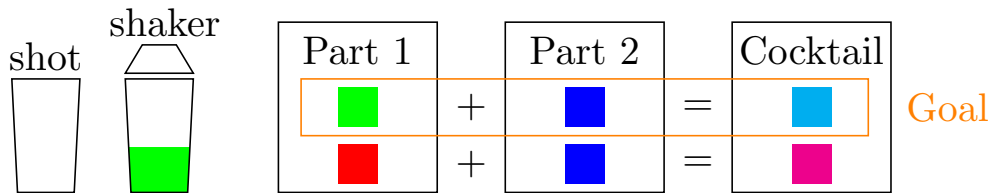


Figure: Plan execution

Example Domain: Barman Dynamics

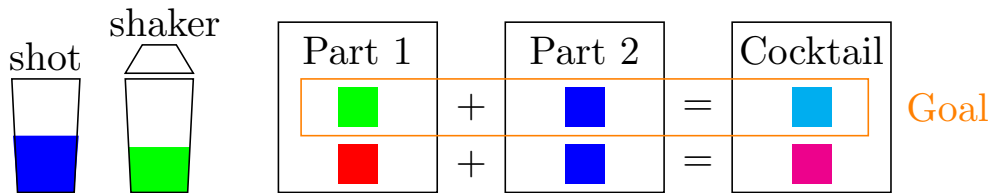


Figure: Plan execution

Example Domain: Barman Dynamics

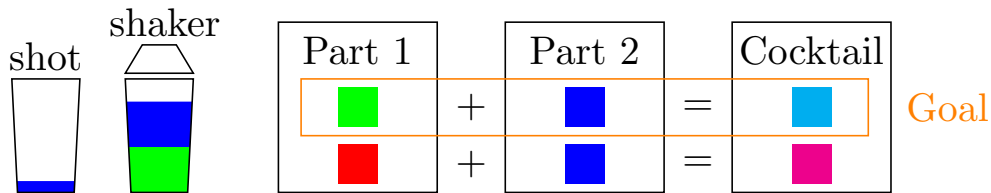


Figure: Plan execution

Example Domain: Barman Dynamics

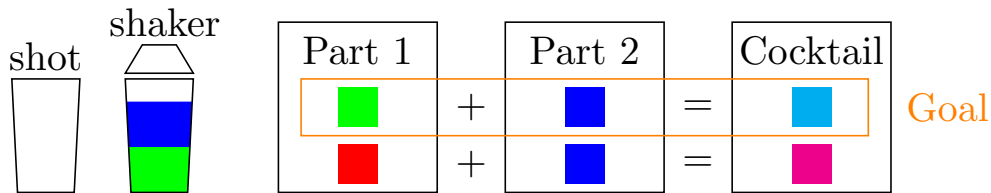


Figure: Plan execution

Example Domain: Barman Dynamics

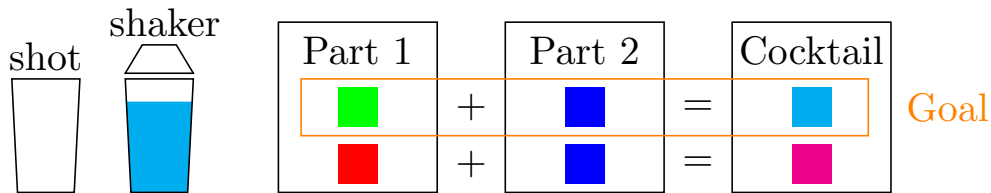


Figure: Plan execution

Example Domain: Barman Dynamics

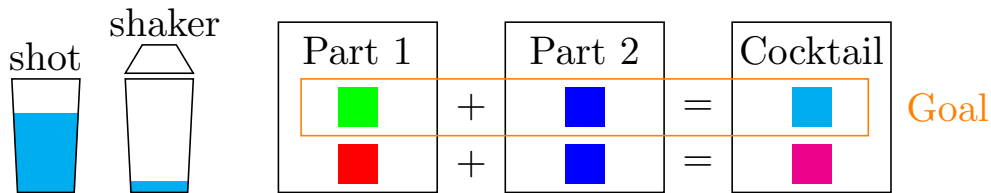


Figure: Plan execution

Example Domain: Barman

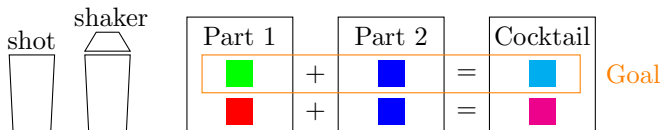


Figure: Initial state s_0

- SIW fails because subproblem of serving cocktail has large width
- **Features** $\Phi = \{\#g, dirtyShots, Consistent_1, Consistent_2\}$
- **Sketch** $R_\Phi = \{r_1, r_2, r_3, r_4\}$
 - $r_1 = \{\neg Consistent_1\} \mapsto \{dirtyShots?, Consistent_1\},$
 - $r_2 = \{Consistent_1, \neg Consistent_2\} \mapsto \{dirtyShots?, Consistent_2\},$
 - $r_3 = \{dirtyShots > 0\} \mapsto \{dirtyShots\downarrow\},$
 - $r_4 = \{\#g > 0\} \mapsto \{\#g\downarrow, Consistent_1?, Consistent_2?\}.$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

Example Domain: Barman

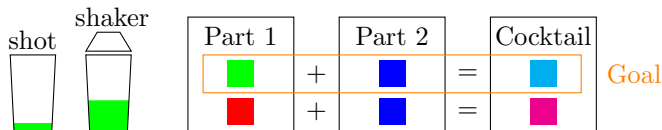


Figure: Rule r_1 leads to s_2

- SIW fails because subproblem of serving cocktail has large width
- **Features** $\Phi = \{\#g, dirtyShots, Consistent_1, Consistent_2\}$
- **Sketch** $R_\Phi = \{r_1, r_2, r_3, r_4\}$
 - $r_1 = \{\neg Consistent_1\} \mapsto \{dirtyShots?, Consistent_1\},$
 - $r_2 = \{Consistent_1, \neg Consistent_2\} \mapsto \{dirtyShots?, Consistent_2\},$
 - $r_3 = \{dirtyShots > 0\} \mapsto \{dirtyShots\downarrow\},$
 - $r_4 = \{\#g > 0\} \mapsto \{\#g\downarrow, Consistent_1?, Consistent_2?\}.$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

Example Domain: Barman

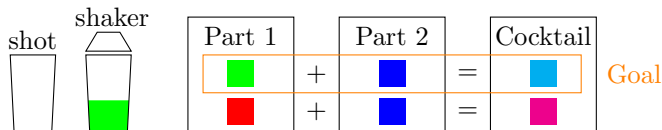


Figure: Rule r_3 leads to s_3

- SIW fails because subproblem of serving cocktail has large width
- **Features** $\Phi = \{\#g, dirtyShots, Consistent_1, Consistent_2\}$
- **Sketch** $R_\Phi = \{r_1, r_2, r_3, r_4\}$
 - $r_1 = \{\neg Consistent_1\} \mapsto \{dirtyShots?, Consistent_1\},$
 - $r_2 = \{Consistent_1, \neg Consistent_2\} \mapsto \{dirtyShots?, Consistent_2\},$
 - $r_3 = \{dirtyShots > 0\} \mapsto \{dirtyShots\downarrow\},$
 - $r_4 = \{\#g > 0\} \mapsto \{\#g\downarrow, Consistent_1?, Consistent_2?\}.$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

Example Domain: Barman

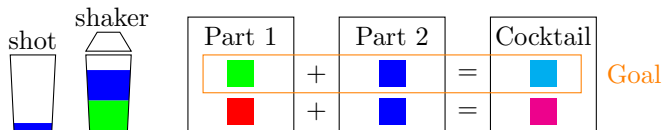


Figure: Rule r_2 leads to s_5

- SIW fails because subproblem of serving cocktail has large width
- **Features** $\Phi = \{\#g, dirtyShots, Consistent_1, Consistent_2\}$
- **Sketch** $R_\Phi = \{r_1, r_2, r_3, r_4\}$
 - $r_1 = \{\neg Consistent_1\} \mapsto \{dirtyShots?, Consistent_1\},$
 - $r_2 = \{Consistent_1, \neg Consistent_2\} \mapsto \{dirtyShots?, Consistent_2\},$
 - $r_3 = \{dirtyShots > 0\} \mapsto \{dirtyShots\downarrow\},$
 - $r_4 = \{\#g > 0\} \mapsto \{\#g\downarrow, Consistent_1?, Consistent_2?\}.$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

Example Domain: Barman

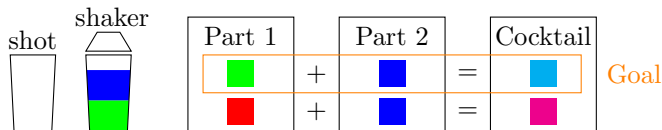


Figure: Rule r_3 leads to s_6

- SIW fails because subproblem of serving cocktail has large width
- **Features** $\Phi = \{\#g, dirtyShots, Consistent_1, Consistent_2\}$
- **Sketch** $R_\Phi = \{r_1, r_2, r_3, r_4\}$
 - $r_1 = \{\neg Consistent_1\} \mapsto \{dirtyShots?, Consistent_1\},$
 - $r_2 = \{Consistent_1, \neg Consistent_2\} \mapsto \{dirtyShots?, Consistent_2\},$
 - $r_3 = \{dirtyShots > 0\} \mapsto \{dirtyShots\downarrow\},$
 - $r_4 = \{\#g > 0\} \mapsto \{\#g\downarrow, Consistent_1?, Consistent_2?\}.$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

Example Domain: Barman

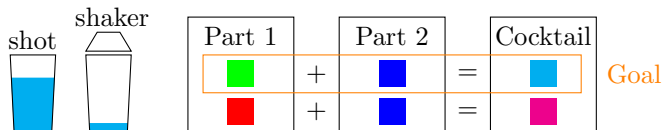


Figure: Rule r_4 leads to goal

- SIW fails because subproblem of serving cocktail has large width
- **Features** $\Phi = \{\#g, dirtyShots, Consistent_1, Consistent_2\}$
- **Sketch** $R_\Phi = \{r_1, r_2, r_3, r_4\}$
 - $r_1 = \{\neg Consistent_1\} \mapsto \{dirtyShots?, Consistent_1\},$
 - $r_2 = \{Consistent_1, \neg Consistent_2\} \mapsto \{dirtyShots?, Consistent_2\},$
 - $r_3 = \{dirtyShots > 0\} \mapsto \{dirtyShots\downarrow\},$
 - $r_4 = \{\#g > 0\} \mapsto \{\#g\downarrow, Consistent_1?, Consistent_2?\}.$
- **Theorem:** R_Φ terminates and $w_{R_\Phi}(Q) = 2$

Experiments

| Domain | SIW(2) | | | | SIW _R (2) | | | | LAMA | | Dual-BFWS | |
|------------------|--------|--------|------|----|----------------------|------|------|----|------|-------|-----------|-------|
| | S | T | AW | MW | S | T | AW | MW | S | T | S | T |
| Barman (40) | 0 | – | – | – | 40 | 0.9 | 1.17 | 2 | 40 | 505.3 | 40 | 162.8 |
| Childsnack (20) | 0 | – | – | – | 20 | 10.8 | 1.00 | 1 | 6 | 2.6 | 8 | 216.9 |
| Driverlog (20) | 8 | 0.5 | 1.68 | 2 | 20 | 0.8 | 1.00 | 1 | 20 | 7.6 | 20 | 4.2 |
| Floortile (20) | 0 | – | – | – | 20 | 0.2 | 1.25 | 2 | 2 | 9.9 | 2 | 176.3 |
| Grid (5) | 1 | 0.1 | 2.00 | 2 | 5 | 0.1 | 1.00 | 1 | 5 | 3.6 | 5 | 3.7 |
| Schedule (150) | 62 | 1349.1 | 1.10 | 2 | 150 | 54.7 | 1.17 | 2 | 150 | 15.3 | 150 | 151.4 |
| TPP (30) | 11 | 74.7 | 2.00 | 2 | 30 | 0.4 | 1.00 | 1 | 30 | 16.5 | 29 | 99.6 |
| # Domains solved | 0/7 | | | | 7/7 | | | | 5/7 | | 4/7 | |

Conclusions and Future Work

- Conclusions:
 - We presented compact encoding of subgoals
 - Provide deeper domain understanding and poly runtime guarantees
- Future work:
 - Learn sketches automatically, unsupervised from small instances
 - Learn hierarchies

-  Bonet, B. and Geffner, H. (2021).
General policies, representations, and planning width.
In *Proc. AAAI 2021*, pages 11764–11773.
-  Lipovetzky, N. and Geffner, H. (2012).
Width and serialization of classical planning problems.
In *Proc. ECAI 2012*, pages 540–545.